



# Optimal Forest Management of Douglas-fir in Western Oregon: Stochastic Prices, Carbon Sequestration, and Wildfire Risk

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## Outline

1. Introduction		
2. Objective		
3. Model of the study		
4. Results		
5. Discussion: Key Takeaways		
6. References		





## Introduction



FC~48% of Oregon



65 % Douglas fir



~60,000 Jobs

\$18 billion annually



## Introduction

- Forest carbon programs promote extended rotations and sustainable practices.
  - a. Oregon's Forest Carbon Offset Program
  - b. California Cap-and-Trade Program

c.Regional Greenhouse Gas Initiative (RGGI)

• At federal level

Conservation Reserve Program (CRP)

Environmental Quality Incentives Program (EQIP)

Provide Economic viability + Ecological benefits





# Introduction (Contd)

- Wildfires threaten both economic and ecological forest values.
- Wildfire frequency and severity in Oregon have risen in recent decades (North et al., 2015).
- Fires cause economic losses and release large amounts of stored carbon (Hurteau et al., 2009).
- Classical models (e.g., Faustmann, Hartman) often overlook wildfire risk and market variability.
- There's a need for decision frameworks that incorporate both timber price uncertainty and wildfire risk in Douglas-fir forests.



# Objective

• Evaluate how market dynamics and wildfire threats influence optimal harvest timing by considering timber revenue, carbon sequestration benefits, and wildfire risk in decision-making.





Use Reservation Price Approach:

Represents a price that makes the landowner indifferent between harvesting or waiting one extra year

### Assumptions:

- (1) Timber prices are the only source of uncertainty;
- (2) Timber prices at different time points are statistically uncorrelated;
- (3) The landowner is risk-neutral.



### **Prevaling Timber Price**

 $\boldsymbol{P}(\boldsymbol{t}) = \boldsymbol{E}[\boldsymbol{P}] + \boldsymbol{\varepsilon}(\boldsymbol{t}); \boldsymbol{\varepsilon}(\boldsymbol{t}); \boldsymbol{\varepsilon}(t) \sim N(0, \sigma^2[\boldsymbol{P}])$ 

If the stand reached the maximum harvest age T Harvest immediately

 $W(T) = [E(P(T) - C_h]V(T) + L - E(t)]$ 

### **Denotation:**

 $C_h$  = Harvesting costs, V(t) = Timber volume at stand age t, L = Land value, E(t) = Carbon emission tax.





If age t < T Two options:

(1) Harvest now

$$R_1 = (P - C_h)V(t) + L - E(t)$$

When  $R_1 > R_2$ , Harvest now is preferred option!

(2) delay the harvest one extra year

$$R_2 = \left(1 - \lambda(t)\right) W(t+1)e^{-r} + \lambda(t)(S(t+1)+L) - L + D(t)$$





Once q(t) is determined, the expected value of stand at age t is calculated

 $W(t) = \int_{q(t)}^{+\infty} [(P - C_h)V(t) + L - E(t)]f_t(P) dP + \int_{-\infty}^{q(t)} [(1 - \lambda(t))W(t + 1)e^{-r} + \lambda(t)(S(t + 1) + L) - L + D(t)]f_t(P) dP$ 

After that, land value of stand at age t is calculated

 $L = W(1)e^{-r} - C$ 





## Model Application: Cost and Price Information

### Douglas-fir in Western Oregon

- Planting Density: 740 trees/ha
- Planting cost: 494 \$/ha
- Harvesting cost: 169.5 \$/ha
- Mean timber price: 312.6 \$/cubic meter
- SD: 54.6 \$/cubic meter
- Interest Rate: 4%
- Minimum harvest age: 19 years
- Maximum harvest age: 100 years





## **Model Simulation**

### Wildfire Risk Assumption: Constant Risk

 $\lambda = \frac{t_d}{50}$ 

## Age Dependent Risk

$$\lambda = 2t \frac{(X - t_a)}{(t_b - t_a)(t_c - t_a)} (t_a = 0, t_b = t_c = 50)$$

### Parameters:

- $\lambda$  (wildfire risk): 0, 0.02, 0.04
- g (salvage): 0.3, 0.5, 0.7
- β (long-lived wood): 0.7, 0.8, 0.9
- Carbon prices: \$15, \$25, \$35





## Results



Fig 1: Optimal reservation prices under different risk levels (a) Constant risk (b) Age-dependent risk



# Results



Fig 2: Harvest probability across stand ages under different risk levels(a) Constant risk (b) Age-dependent risk



## Results

Table 2: Land value (L), mean harvest age with different wildfire risk levels and salvage portions related to reservation price strategy.

<b>Constant Risk</b>						
Risk level	Salvage Portion (0.3)		Salvage Portion (0.5)		Salvage Portion (0.7)	
	Land	Mean	Land	Mean	Land Value	Mean
	Value	harvest age	Value	harvest	(\$/ha)	harvest
	(\$/ha)	(yr)	<b>(\$/ha)</b>	age (yr)	• •	age (yr)
0	14,104.3	65.2	14,104.3	65.2	14,104.3	65.2
0.02	8,990.2	39.8	9,194.8	40.2	9,404.5	40.6
0.04	5,878.8	23.4	6142.2	23.9	6414.1	24.5
Age Dependent						
Risk						
0	4,858.8	56.3	5,335.8	56.3	5,814.5	56.3
0.02	7,014.6	49.2	7,272.1	49.8	7,538.8	50.6
0.04	9,124.2	43.5	9,187.8	44.5	9,260.5	45.6



## **Results** Table 3: Mean harvest age under different carbon prices

Risk	Carbon Price (\$/tCO2e)	Mean Harvest Age (year)			
<b>Constant Risk</b>					
	15	64.9			
	25	65.2			
	35	65.4			
Age-dependent risk					
	15	56			
	25	56.3			
	35	56.6			



## **Discussion: Key Takeaways**

**Wildfire Risk Accelerates Harvests** Age-dependent risk especially cuts land value and shortens optimal harvest age.

□ Salvage Logging Softens the Blow Higher salvage portions (up to 70%) help recover timber value post-fire.

### Perception Shapes Behavior

Landowners act on both actual and perceived wildfire risk.

**K** Adaptive Management is Essential Flexibility is key to balancing profit, carbon goals, and resilience.



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